

RSA-PSS

Provable Secure RSA Signatures
and their Implementation

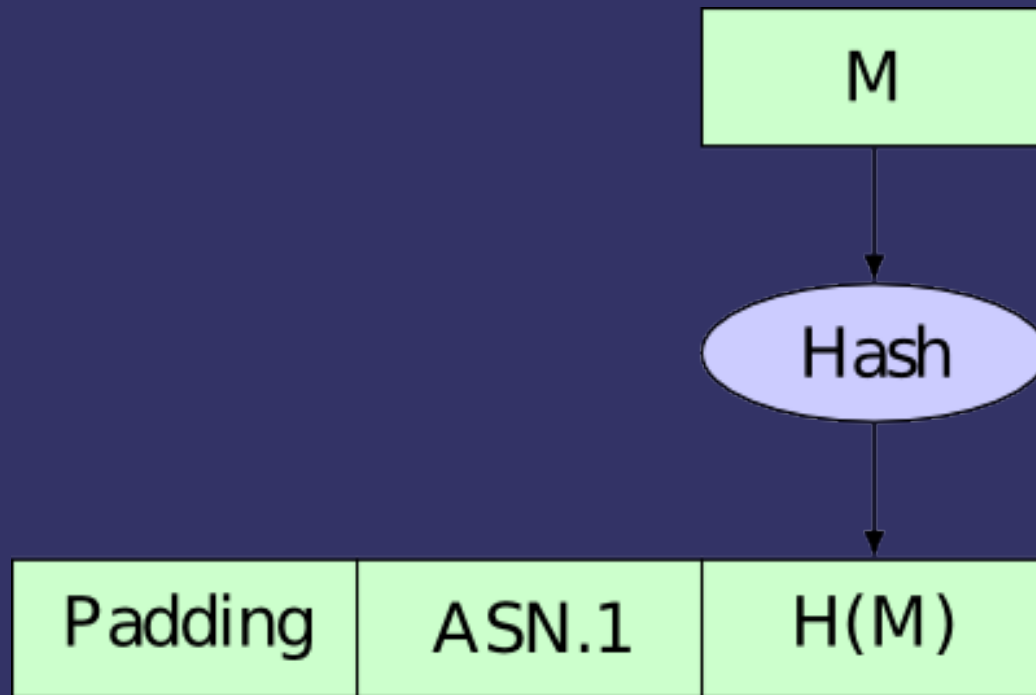
Overview

- ➔ What is RSA-PSS?
- ➔ Why RSA-PSS?
- ➔ Comparing original and standardized PSS
- ➔ Status of Protocols, Standards and Implementations
- ➔ RSA-PSS in X.509
- ➔ Algorithmenkatalog

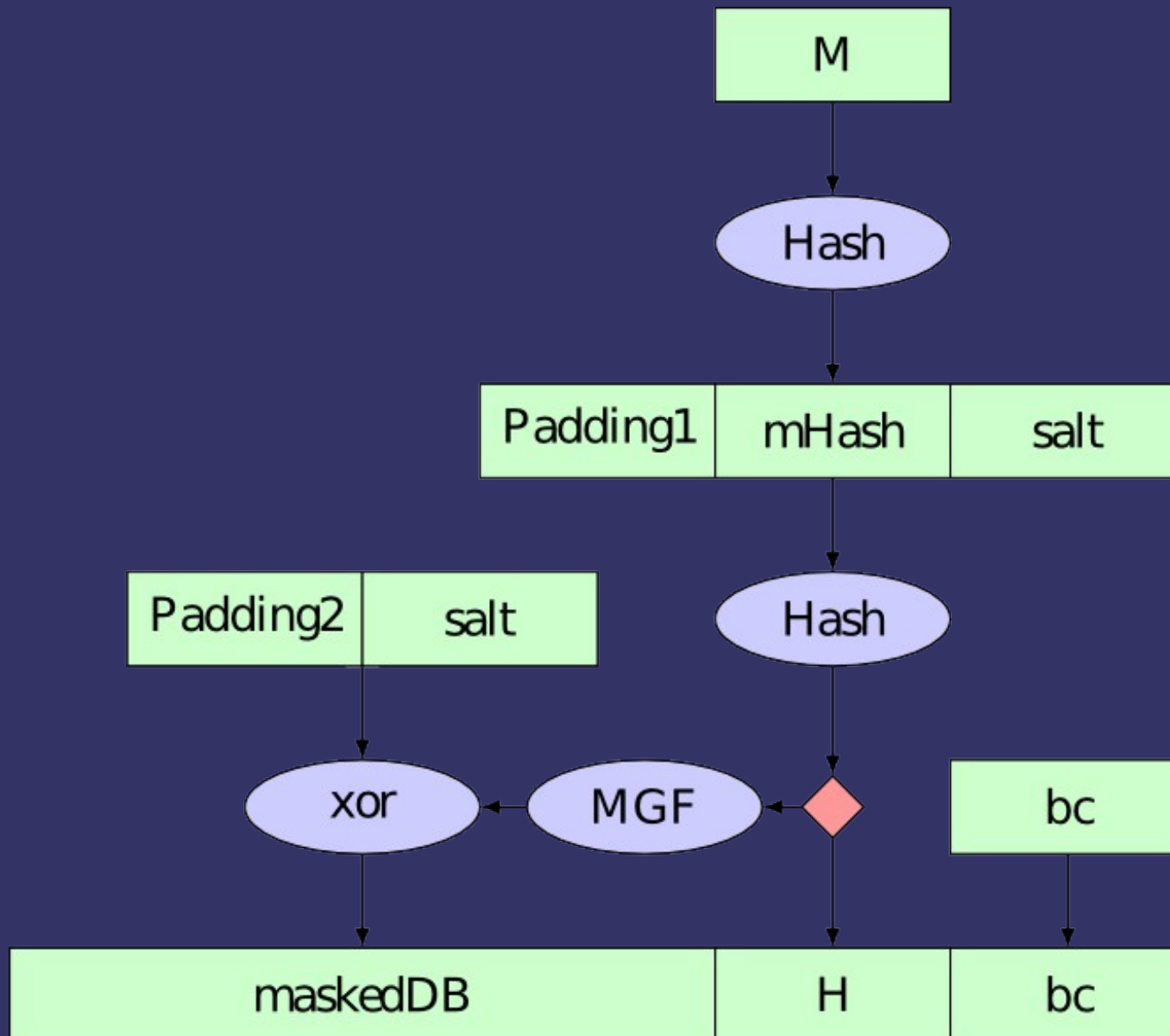
RSA

- ⇒ Public key cryptosystem
- ⇒ Invented 1977 by Ron Rivest, Adi Shamir, Leonard Adleman
- ⇒ Public Key (e, N) , private key (d, N) with $(X^{de}) \bmod N = X$
- ⇒ Encrypt: $E = (M^e) \bmod N$,
Decrypt: $M = (E^d) \bmod N$
- ⇒ Sign: $S = (M^d) \bmod N$,
Verify: $M = (S^e) \bmod N$
- ⇒ What is M ?

Hash-then-sign, PKCS #1 v1.5



Probabilistic Signature Scheme



Probabilistic Signature Scheme

- ➔ Developed 1996 by Mihir Bellare and Phillip Rogaway
- ➔ “Provable Secure” in the random oracle model
- ➔ That means: Secure if hash function is ideal, factoring is hard and RSA itself is as hard as factoring
- ➔ Uses a salt (randomization) and uses full size of RSA input

Status of PSS in standards

- ➔ RSASSA-PSS primitives are part of IEEE P1363a and PKCS #1 v2.1 / RFC 3447
- ➔ RSASSA-PSS supported by standards for X.509 (RFC 4055), CMS (RFC 4055)
- ➔ Not supported in OpenPGP, DNSSEC, XMLDsig, TLS

X.509 Implementations

- ➔ Latest OpenSSL 1.0.0d: bare PSS signatures supported, no support for X.509
- ➔ X.509 Support in OpenSSL 1.1 CVS (not yet released)
- ➔ Latest Mozilla nss / Firefox: Not supported
- ➔ I created patches for nss in the Google Summer of Code 2010, not yet merged
- ➔ Microsoft Windows (since Vista) supports X.509 with RSASSA-PSS
- ➔ Microsoft was faster than any other browser vendor in implementing an open standard!!

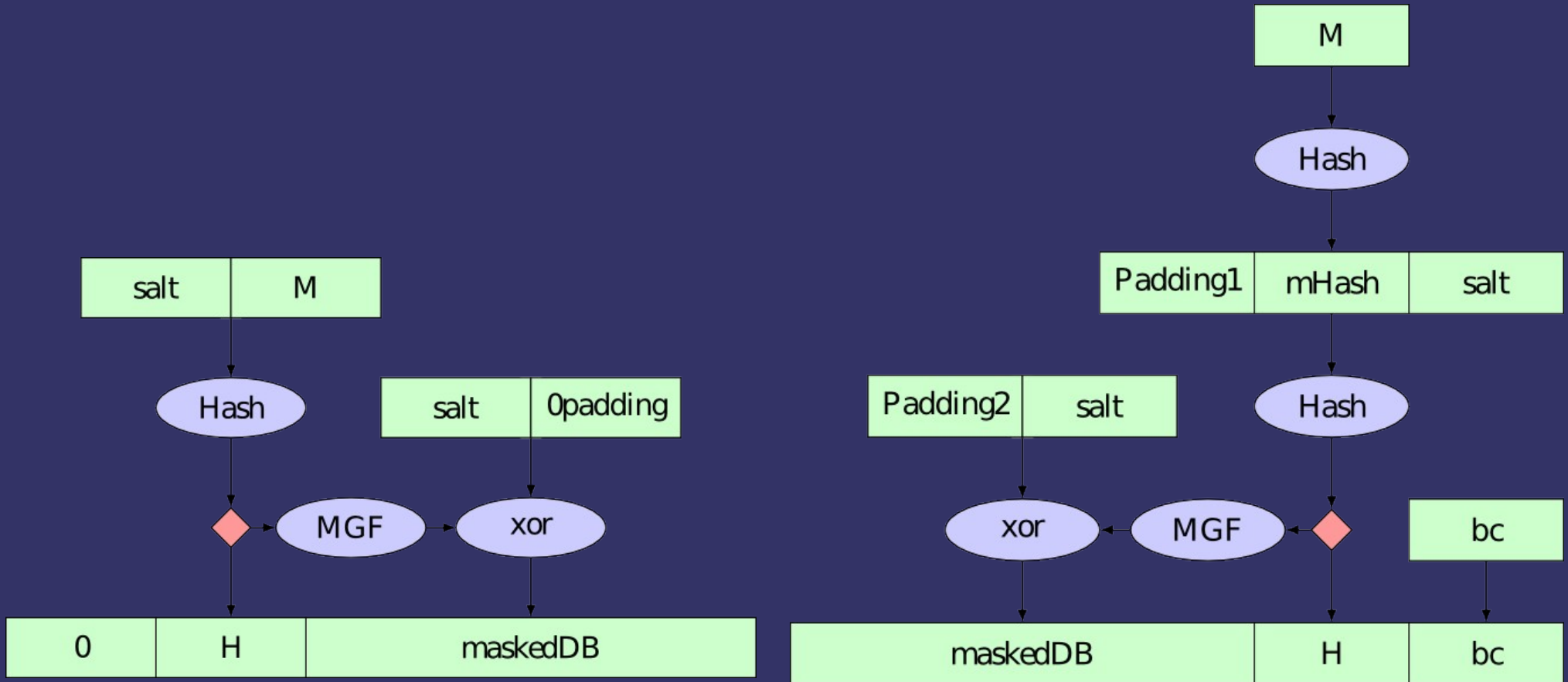
X.509 online test

➔ <http://ssl.hboeck.de/>

Hashing

- ➔ A lot has happened in hash function research in recent years
- ➔ MD5 collision in 2004
- ➔ SHA-1: Collision attacks with a complexity of 2^{63}
- ➔ Successful fake of a CA certificate in 2008 (25C3, calculated on a PS3 cluster)
- ➔ SHA-3 competition running

PSS96 and PKCS #1 v2.1



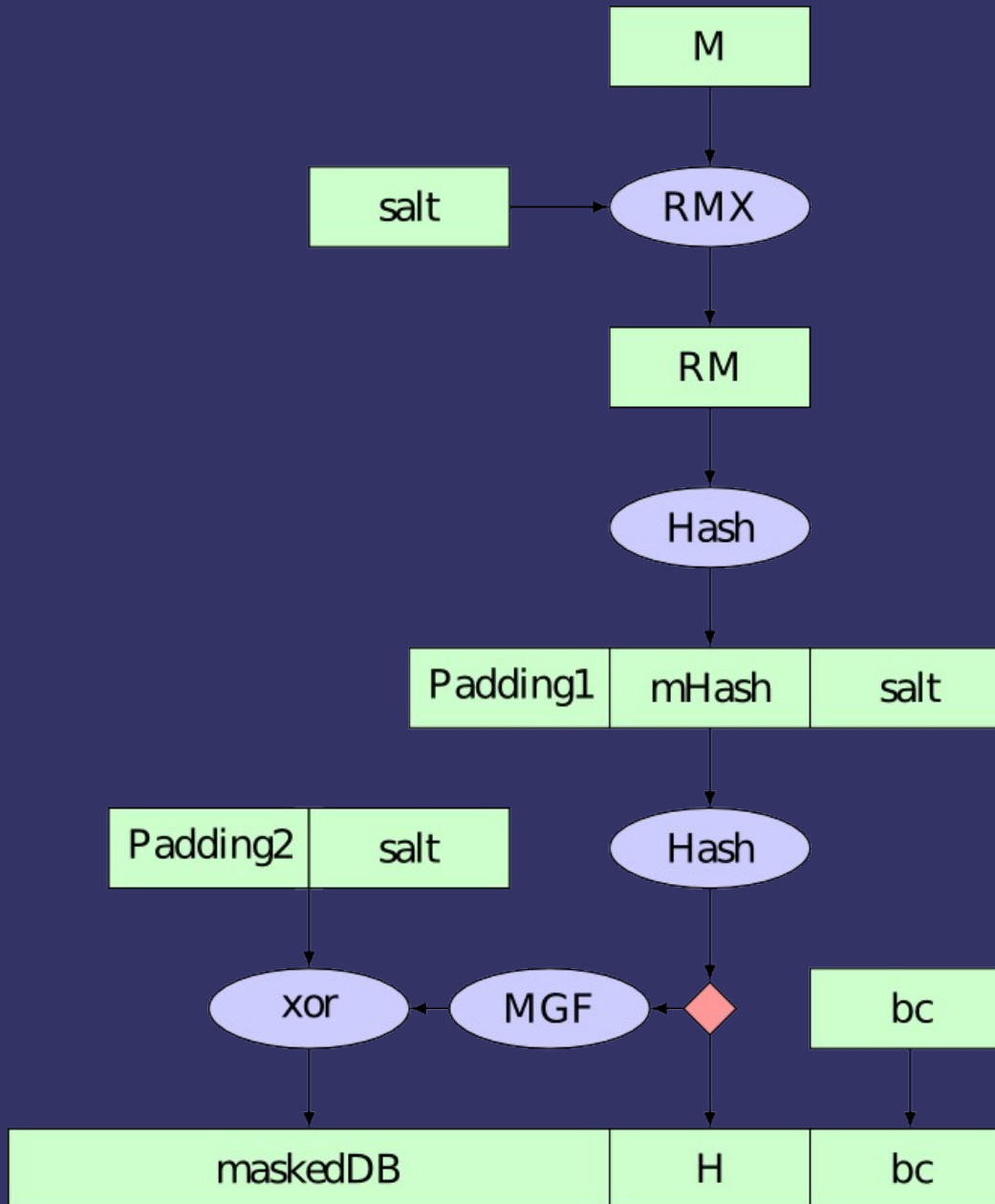
Input randomization

- ➔ Direct input randomization secures against possible collision flaws in the hash
- ➔ eTCR (enhanced Target Collision resistance)
- ➔ PSS96 provides eTCR, PSS from standards PKCS #1 v2.1 / IEEE 1363a does not
- ➔ Randomized hashing: brings back eTCR

Randomized Hashing

- ➔ Generate random value rv
- ➔ Repeat rv and XOR it with input message (XOR vigenere)
- ➔ Use $rv \parallel (M \oplus rv) \parallel rv_length$ as hash function input
- ➔ Problem: rv has to be shipped separately
- ➔ Randomized hashing and PSS: salt can be used as rv

PSS with randomized hashing



Algorithmenkatalog

- ➔ *Das Formatierungsverfahren RSA: „Signature Schemes with Appendix“ PKCS#1-v1_5 aus [15] Abschn. 8.2 und 9.2 ist noch bis Ende 2014 geeignet. Zum Erzeugen von Zertifikatssignaturen ist das PKCS#1-v1_5-Format darüber hinaus bis Ende 2016 geeignet. Es wird aber empfohlen, dieses Verfahren nicht über Ende 2013 hinaus zu verwenden.*

Algorithmenkatalog

- ⇒ Good: Pushing for better security
- ⇒ Bad: Not pushing for better standards and implementations
- ⇒ Technische Richtlinie 03125 (long time archiving) requires algorithms from “Algorithmenkatalog”
- ⇒ TR 03125 is based on XMLDsig
- ⇒ XMLDsig does not support PSS!

Optional slide: Really provable?

- ⇒ Is it possible to provide **really** provable security for public key cryptography?
- ⇒ Not today: We don't know enough about complexity theory.
- ⇒ Our whole trust in cryptography relies on assumptions – we believe that if nobody was able to break something in a long time, it must be secure.
- ⇒ Is factoring hard? Is RSA as hard as factoring? Anyone with a Quantum computer out there?

Optional Slide: Really provable?

⇒ But if we could:

- Prove $P \neq NP$
- Create trapdoor function out of FNP problem
- Create cryptosystem and prove that we only hit the hard problems in our FNP problem
- Create a provable secure scheme that is not based on a hypothetical ideal hash function, but a real one
- Prove that the whole thing is also resistant to Quantum computers

⇒ $P \neq NP$ is considered to be one of the hardest problems in mathematics and theoretical computer science – and that's only the first step.

RSA-PSS

➔ Questions? Discussion?

Diploma thesis on RSA-PSS will be available at

<http://rsapss.hboeck.de/>